

# Open Amortisation Transaction Costs

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The open amortisation describes the amount of amortisable transaction costs which will be distributed in the future based on the EIR. The calculation of the open amortisation requires several steps:

Initially, the amortised cost of a deal equals the negative of its original costs:

$$AC(t_0) = -CF(t_0)$$

At further payment dates, the amortised cost equals the amortised cost of the previous payment date, plus the difference of the current cumulative total amortisation  $TA(t_n)$  and the one from the previous payment date  $TA(t_{n-1})$ , plus possible principal repayments  $PR(t_n)$ :

$$AC(t_n) = AC(t_{n-1}) + (TA(t_n) - TA(t_{n-1})) + PR(t_n)$$

The cumulative total amortisation  $TA(t_n)$  of payment date  $t_n$  is defined by

$$TA(t_n) = TA(t_{n-1}) + EC(t_{n-1}) * (exp(-EIR(t_{n-1}) * \Delta(t_n, t_{n-1})) - 1) - EC(t_{n-1}) * (exp(-EIR(t_{n-1}) * \Delta(t_n, t_{n-1})) - 1)$$

The open amortisation is then calculated for transaction cost by the difference between

- the sum of the amount which was originally subject to be amortised based on the EIR and
- the cumulative total amortisation.

The effective capital  $EC(t_n)$  of payment date  $t_n$  is defined as the negative of the sum of all future cash flows discounted by the effective interest rate:

$$EC(t_n) = - \sum_{k>n} CF(t_k) * exp(-EIR * \Delta(t_k, t_n))$$

In order to check the calculation of the effective capital in Excel exports of the calculation analyser, the following equivalent recursive formula for the effective capital is useful:

$$EC(t_0) = -CF(t_0), \quad EC(t_n) = EC(t_{n-1}) * exp(EIR * \Delta(t_n, t_{n-1})) + CF(t_n)$$